### A Self-Replicating System of Ribosome and Replisome Factories

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# An Obscure Game invented by John von Neumann

- Two parts
  - design a virtual world
  - design a selfreplicating system with a non-trivial construction space in that world
- Two pitfalls
  - make the world too abstract
  - make the primitives too complex



### **Non-Trivial Construction Space**



#### elephant DNA









mammoth DNA

### **Complex Primitives**





### Von Neumann Replicator

- Span non-trivial construction space size
- Modularity relative complexity of a system's parts and whole
- *Regularity* reuse of complex parts
- Parallelism concurrent construction subprocesses
- Hierarchy complex parts comprised of simpler parts

### Mechanism <u>and</u> Product of Evolution



## Avoiding Excess Abstraction

- A *bespoke physics (Ackley '14)* is a software interface that
  - defines basic units embedded in space
  - dynamical laws that describe how the units move and interact
  - is subject to meta-laws including
    - indefinite scalability
    - global-non-determinism.
  - computations can be compiled to asynchronous cellular automata (ACA).

## **Avoiding Complex Primitives**

- Use (admittedly) complex primitives to build parts that are *still more complex*.
- Interactions among parts result in the construction of more of these same parts.
- Systems like this are *strongly constructive* (*Dittrich et al. '01*).

### Object-Oriented Combinator Chemistry

- An *artificial chemistry* is a dynamical system of constructable objects (Fontana and Buss '96).
- Object-Oriented Combinator Chemistry (OOCC)
  - An artificial chemistry with composition devices borrowed from the field of programming languages
    - Object-Oriented programming
      - association of programs with the data they operate on
    - Functional programming
      - programs comprised of combinators
  - A bespoke physics with an additional meta-law
    - Conservation of mass

### **Basic Units: Actors**

- Actors occupy sites on a 2D grid.
- Computations progress when actors interact with other actors in their 8 neighborhoods.

### **Three Kinds of Actors**

Combinators



- the building blocks of programs
- Methods
  - programs constructed from combinators
- Objects



- can contain other actors (including other objects).

### Actor Datatype



### Information = Mass

- Primitive combinators have unit mass.
- The mass of a composite combinator is the sum of the mass of the combinators of which it is composed.
- The mass of an object is the sum of the masses of the actors it contains.

## Movability

- Movable aggregates of complex automata introduced in *Arbib* '66
  - Aggregrate automata have increased area.
  - Arbitrarily large aggregates assumed to move O(1) distance in O(1) time.
- Object-Oriented Combinator Chemistry
  - Composed actors have increased mass.
  - Composite actor of mass *m* can be moved O(1) distance in O(m) time.

### **Dynamics: Diffusion**

- Actors are subject to random 2D motion.
- An actor's *diffusion constant* is inversely proportional to its mass.
- This reflects cost of data transport in ACA substrate.





- Actors can create *bonds* with other actors in their neighborhoods.
- Bonds are *relative addresses* which are
  - short
  - symmetric
  - updated as actors move
- The movement of actors is restricted by bonds.
- Bonds can be either *directed* or *undirected*.

### Groups

- Actors can join and quit groups.
- An actor is a member of exactly one group.
- Actors in a group
  - occupy a single site
  - diffuse as a unit
  - share a single finite time resource



### **Actors' Persistent States**

- Defined solely by
  - composition
  - containment
  - bonds
  - groups







### Monadic Style

- Control idioms like iteration and backtracking require loops and function calls in conventional programming.
  - Both require address operands.



- No need for address operands in monadic code
  - Control is implicit in the datatype of the return value.
  - Programs exhibiting complex control idioms can be implemented by combinator sequences.

### **Non-Deterministic Choice**

• Sets can be converted to *superpositions* using McCarthy's non-deterministic choice operator:

amb { } = 
$$\langle \rangle$$
  
amb {  $x, y \dots$  } =  $\langle x, y \dots \rangle$ 



# From Comprehensions to Combinators $\langle x \mid x \in \langle 1 \dots n-1 \rangle, y \in \langle 1 \dots x \rangle, xy = n \rangle$ $\rightarrow \boxed{f'} \rightarrow :: \{a\} \rightarrow \langle \{a\} \rangle$ $\xrightarrow{\rightarrow} \boxed{g'} \rightarrow :: \{a\} \rightarrow \{a\} \rightarrow \langle \{a\} \rangle$ desugaring / unifying data types X compiling $\rightarrow \boxed{f''} \rightarrow :: [\{a\}] \rightarrow \langle [\{a\}] \rangle$ X

### **Non-deterministic Evaluation**



### Non-deterministic Evaluation



### **Primitive Combinators**

- amb introduces non-determinism.
- bonds, members, contents, neighbors reference actors using bonds, groups, containment and neighborhood.
- similar, same, different compare actors' identities and types.
- some and none allow methods to conditionally succeed or fail.
- grab, drop, join, quit, compose, unquote change actors' persistent states.

### Visual Spock / Spock / Spasm



ribE = \m -> do {
 p <- amb =<< parents =<< m;
 q <- amb =<< others p;
 none =<< contents q;
 r <- amb =<< nexts q;
 n <- amb =<< neighbors p;
 some =<< similar n r;
 none =<< bonds n;
 c <- amb =<< contents p;
 compose c n;
 join r =<< quit p
}</pre>

parents >=> amb >=> x0 >=> others >=> amb >=> x1 >=> contents >=> none >=> x1 >=> nexts >=> amb >=> x0 >=> neighbors >=> amb >=> x2 >=> x3 >=> similar >=> some >=> x3 >=> bonds >=> none >=> x0 >=> contents >=> amb >=> x3 >=> x4 >=> compose >=> x0 >=> quit >=> x2 >=> join



## Time = Energy

- Methods require different amounts of time to do their work.
- Actors are serviced at rates which are the inverses of these times.
- Actors which use more time are serviced less often.
- Constant rate of energy use per site per unit time in ACA substrate.

### Fundamental Dogma of Molecular Biology





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### **Computational Ribosome**



 $P + R + \sum_{P} \sum_{C} h(p, c) c \rightarrow P + R' + \operatorname{ribA} + \sum_{P} E_{p}$ 

$$P = |_{i=1}^{|P|} >_{j=1}^{|G_i|} c_i(j)$$

 $R = \{ \text{ribA}, \text{ribI}, \text{ribE}, \text{ribT} \}_0$ 

 $E_i = ( \gg)_{j=1}^{|G_i|} c_i(j) )^+$ 

### **Computational Replisome**



$$P + Q + \sum_{P} \sum_{C} h(p, c) c \to 2 P + Q' + \operatorname{repA} + \{ \}_{2}$$
$$P = | |P|_{i=1}^{|P|} >_{j=1}^{|G_{i}|} c_{i}(j)$$
$$Q = \{\operatorname{repA, repE, repF, repY, repZ, \{ \}_{2} \}_{2}$$

### **Ribosome-factory**



 $F_R + 2\{ \}_0 + \{ \}_1 + 2\sum_R E_r + \sum_F E_f \to 2 F_R + R$ 

 $F_R = \{ \text{facP, facN, facH, facU, facV, facX, facY, facZ, } R \}_1$   $R = \{ \text{ribA, ribI, ribE, ribT }_0$  $E_i = ( \gg)_{i=1}^{|G_i|} c_i(j) )^+$ 

### Self-Replicating System of Ribosome and Replisome Factories

 $P_{17} + F_Q + F_R + R + 2\{ \}_0 + \{ \}_1 + 4\{ \}_2 + \{ \}_3 + 3\sum_{P_{17}} \sum_C h(p,c) c \rightarrow 0$ 

 $2 P_{17} + 2 F_Q + 2 F_R + Q' + repA + \{ \}_2 + R + R' + ribA$ 



### Self-Replicating System of Ribosome and Replisome Factories



### Populations vs. Time



### Near Term Goals

- Cell membrane
  - import / export
  - growth
  - binary fission
- Differential gene expression rates
- Homeostasis
- Cell cycle

### Long Term Goal



evolution



### Conclusion

- A novel artificial chemistry with composition devices borrowed from modern programming languages
- A self-replicating system modeled in part on the living cell

### This work powered by Haskell

